



KIBABII UNIVERSITY

**UNIVERSITY EXAMINATIONS
2016/2017 ACADEMIC YEAR
SECOND YEAR SECOND SEMESTER**

SPECIAL/SUPPLEMENTARY EXAMINATIONS

FOR THE DEGREE OF B.ED (SCIENCE)

COURSE CODE: SPH 211


COURSE TITLE: WAVES AND VIBRATIONS

DURATION: 2 HOURS

DATE: 15TH SEPTEMBER 2017 TIME: 2:30 PM – 5:30 PM

INSTRUCTIONS TO CANDIDATES

- Answer **QUESTION ONE** (Compulsory) and any other two (2) Questions.
- Indicate **answered questions** on the front cover.
- Start every question on a new page and make sure question's number is written on each page.

This paper consists of **3** printed pages. Please Turn Over 

KIBU observes ZERO tolerance to examination cheating

Question one

- Write down three examples of motions having one degree of freedom. (3marks)
- Discuss the importance of studying simple harmonic motion. (2marks)
- Discuss the basic properties of a system that makes it to oscillate. (4marks)
- Obtain derivations to show that the examples mentioned in (a) above constitute Simple Harmonic Motion. (6marks)
- Show that the relaxation time for amplitude of a wave is given by $\frac{2m}{r}$ where the symbols have their usual meaning. (3marks)
- By considering the variation of kinetic and potential energy of a simple harmonic oscillator derive the equation of simple harmonic oscillator(4marks)
- Discuss the velocities associated with wave motion. (6marks)
- A simple pendulum clock 2.5m ticks each time the pendulum bob reaches its maximum displacement in either direction. What is the time interval between the ticks? (2marks)

Question Two

- Show that the periodic time of the oscillators in an LC circuit is given by $T = 2\pi\sqrt{LC}$ where the symbols have their usual meaning. (10marks)
- Derive the expression for the angular frequency ω of a torsional oscillator. (5marks)
- The balance wheel in a watch has rotational inertia of $1.24 \times 10^{-7} \text{kgm}^2$. What should be the torsional constant of the hairspring if the period of the wheel's torsional oscillations is to be 1.00s? (5marks)

Question Three

- Show that for two SHM motions given as $x_1 = a_1 \sin(\omega t + \phi_1)$ and $x_2 = a_2 \sin(\omega t + \phi_2)$ the resultant displacement is $x = R \sin(\omega t + \phi)$ (10marks)
- Two perpendicular waves having the same frequency are given as $x = a_1 \sin(\omega t + \phi_1)$ and $y = a_2 \sin(\omega t + \phi_2)$. Show that when $a_1 = a_2$ and $\phi_2 - \phi_1 = n\pi$ where $n = 0, 1, 2 \dots$ then the waves are plane polarized. (10marks)

Question Four

- Given that $x = a \sin 2\omega t$ and $y = b \sin \omega t$, show that the superposition of the two vibrations result into Lissajous figures. (8marks)
- Sketch and describe the Lissajous figures formed. (2marks)
- A wave has amplitude of 5cm and a period of 2s, calculate the velocity of the particle at a position where acceleration is $\frac{1}{2}$ its maximum value. (10marks)

Question Five

- A sodium chloride molecule has a natural vibration frequency of $1.14 \times 10^{13} \text{Hz}$ and its effective mass equals to its reduced mass. Calculate the value of the interaction force

constant given that the masses of sodium chloride atoms are 3.84×10^{-26} kg and 5.85×10^{-26} kg respectively. (10marks)

- b) A wave has a displacement $x = Ae^{-pt} \sin(qt + \phi)$. Show that its logarithmic decrement after one oscillation is given by $p\tau = \delta$ where $\tau = 1$ period. (10marks)